

LIFTING LOOP DESIGN CALCULATIONS  
ELM BROOK ROAD BRIDGE

WT OF SLAB 27.73 T

THERE ARE 4 LIFT POINTS AND ASSUMING  
A 60° SLING ANGLE W/THE HORIZONTAL,  
DESIGN LOAD @ EACH LIFT POINT

$$= \frac{27.73 \times 2}{4 \times 0.866} = 16.0 \text{ K}$$

FROM ATTACHED PCI LITERATURE (BY INTERPOLATION)

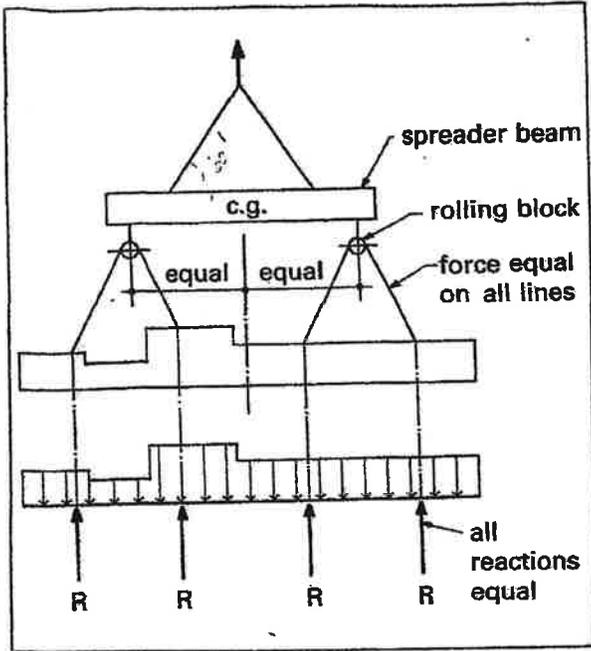
USE TRIPLE 0.600"  $\phi$  X 270 (K) STRAND LIFTING LOOPMID EMBEDMENT 19"

$$3 \text{ WLS } 1.1 \frac{(11.5 + 12.5 + 16.5 + 24.5)}{4} = 19.3 \text{ K} > 16.0 \text{ K}$$

(4:1 S.F.) O.K.



Fig. 5.2.10 Arrangement for equalizing lifting loads



lines equal. The member can then be analyzed as a beam with varying load supported by equal reactions.

The force in inclined lift lines can be determined from Fig. 5.2.7.

5.2.8 Handling devices

The most common lifting devices are prestressing strand or cable loops projecting from the concrete, threaded inserts, or special proprietary devices.

Since lifting devices are subject to dynamic loads, ductility of the material is part of the design requirement. Deformed reinforcing bars should not be used since the deformations result in stress concentrations from the shackle pin. Also, reinforcing bars are often hard-grade or re-rolled rail steel with little ductility and low impact strength at cold temperatures. Smooth bars of a known steel grade may be used if adequate embedment or mechanical anchorage is provided. The diameter must be such that localized failure will not occur by bearing on the shackle pin.

Prestressing strand is often used for lifting loops. The variables involved make it almost impossible to calculate a capacity which can be used for all situations. Generally, producers will establish standard criteria for use in handling the standard products manufactured by that plant. Table 5.2.3 is an example which has been used successfully.

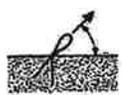
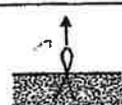
Reduced capacities for shorter embedment lengths may be suitable. In shallow products, providing a 90° bend can reduce the required embedment length significantly. Lightly rusted strand has better bond than bright strand.

The diameter of the bend of the loop should be at least 4 in. For smaller diameters, the loop capacities in Table 5.2.3 should be reduced to:

- 1 in. dia. — 70 %
- 2 in. dia. — 85 %
- 3 in. dia. — 90 %

The angle of incline of lifting has little effect on the strand lifting loop capacity if the angle from the horizontal is more than about 20°. Typical handling methods are usually such that this angle is no less than 60°.

Table 5.2.3 Capacity of 1/2 in. diameter, 270 ksi strands used as lifting loops

Lifting angle	Embedment length (in.)	Single loop (kips)	Double loop (kips)	Triple loop (kips)
45 degrees 	16	5	8.5	11.5
	22	8	13	17.5
	28	10	18	23
	34	11	23	29
Vertical 	16	7.5	12.5	16.5
	22	11.5	19	24.5
	28	15.5	25.5	33
	34	18	32.5	41

1. These values are limited by slippage rather than strand strength, with a factor of safety of 4. For other strand diameters, multiply table values by 0.75 for 3/8 in. diameter, 0.85 for 7/8 in. diameter, and 1.1 for 0.6 in. diameter.
2. Minimum  $f'_c = 3000$  psi.
3. Multiple strand loops must be fabricated to ensure equal force on each strand.

ELM BROOK RD BRIDGE # 46 FA-AB3 ABUTMENT

$$WT = 19.2^T$$

THERE ARE (2) LIFTING LOOPS, AND THE MINIMUM SWING ANGLE W/ THE HORIZONTAL IS 60°

$$\text{DESIGN LOAD / LIFT LOAD} = \frac{19.2 \times 2}{2 \times 0.866} = 22.2^k$$

FROM ATTACHED PCI LITERATURE, P 5.28

$$\frac{\text{USE (1) } 0.600" \phi \times 210 \text{ KSI STRAINLESS LIFT LOOP}}{\text{MIN EMBED } 4-10"} = \frac{\text{SWL (4:1 S.F.) } 21.1 \times (29 + 9)}{2}$$

$$38.5^k > 22.2^k, \text{ OK}$$

CHECK USING ATTACHED PCI LITERATURE, FIG 5.10.7A

$$\phi P_{c1} = 0.85 \times 0.62 \sqrt{\frac{3500 (36") (58.75)}{1000}} = 284^k \quad 4-10 \frac{3}{4} \text{ } \begin{matrix} \text{LONG CHECK} \\ \text{WALLS} \end{matrix}$$

FOR 4:1 S.F.

$$\text{SWL} = \frac{284}{4} = 71^k > 22.2^k, \text{ OK}$$

SEE SHEET 5 FOR LIFT LOOP LOCATION

ELM BROOK RD BRIDGE # 46 FA-AB4 ABUTMENT

WT = 28.94<sup>T</sup>

THERE ARE (2) LIFTING LOOPS AND THE MINIMUM

SLIDE ANGLE W/ THE HORIZONTALING IS 60°

DESIGN LOAD / LIFT LOOP =  $\frac{28.94 \times 2}{2 \times 0.1500} = 33.4^k$

FROM ATTACHED PCI LITERATURE, FIG 6.15.7A

USE #4, 0.600"  $\phi$  X 2.00' (2) C STRAINS / LIFT LOOP  
MAX CHARGE 6"10", JWL (4:1 S.F.) =  $1.1 \times \frac{(29+4.1)}{2}$   
= 38.5<sup>k</sup> > 33.4<sup>k</sup>, O.K.

CHECK USING ATTACHED PCI LITERATURE, FIG 6.15.7A

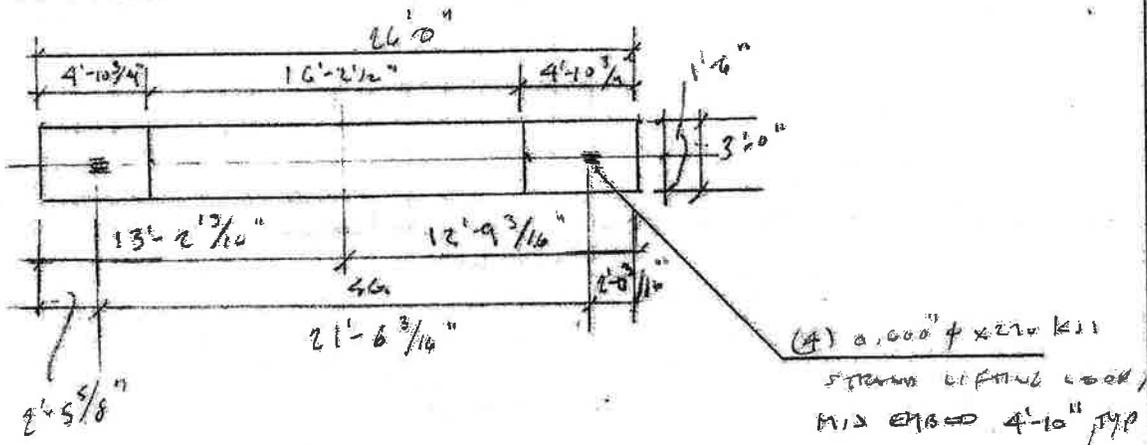
$\phi_{pc} = \frac{0.85 \times 2.67 \sqrt{3500} (36") (58.75)}{1000} = 284^k, 4'-10\frac{3}{4}"$   
LONG CHARGE WAY

FOR 4:1 S.F.

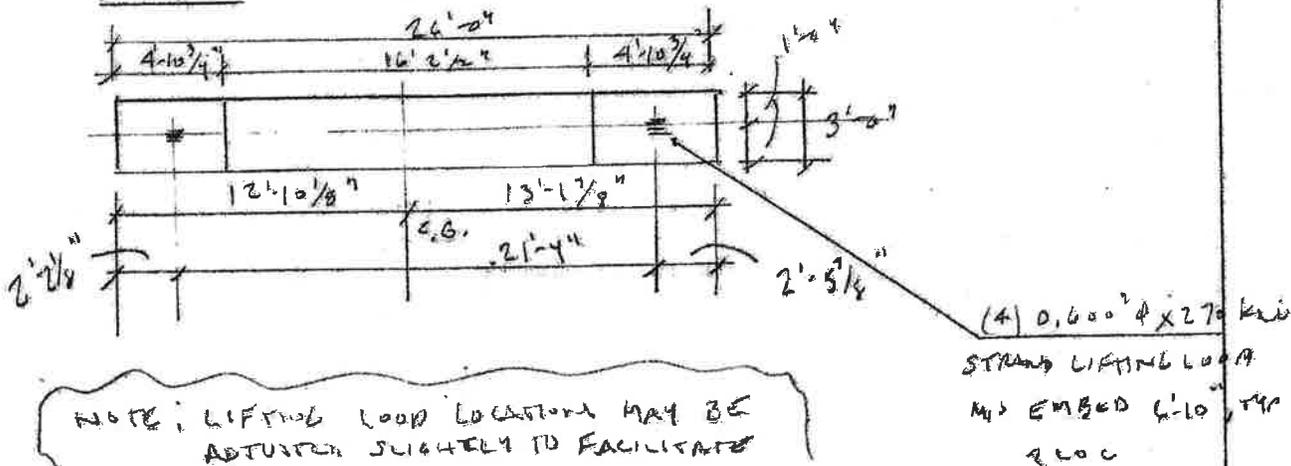
JWL =  $\frac{284}{4} = 71^k > 33.4^k$ , O.K.

SEE SHT 5 FOR LIFT LOOP LOCATIONS

FA-A33 WT 19.2' PARTIAL PLAN VIEW

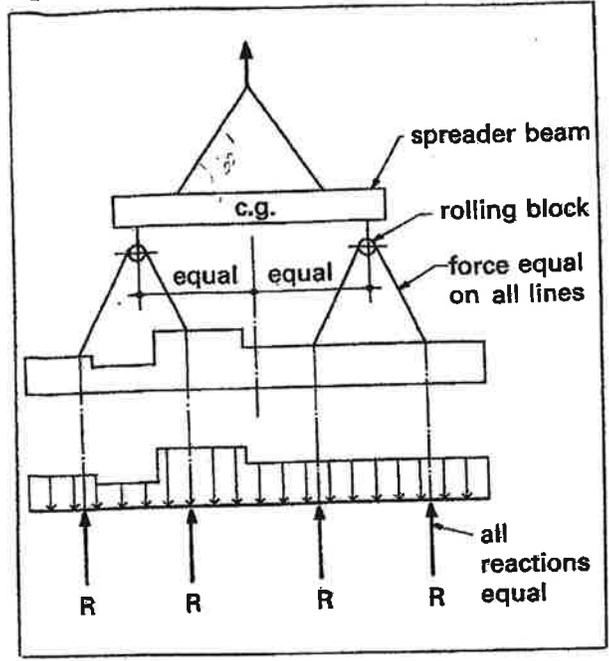


FA-A34 WT 28.94' PARTIAL PLAN VIEW



NOTE: LIFTING LOOP LOCATION MAY BE ADJUSTED SLIGHTLY TO FACILITATE FABRICATION

Fig. 5.2.10 Arrangement for equalizing lifting loads



lines equal. The member can then be analyzed as a beam with varying load supported by equal reactions.

The force in inclined lift lines can be determined from Fig. 5.2.7.

5.2.8 Handling devices

The most common lifting devices are prestressing strand or cable loops projecting from the concrete, threaded inserts, or special proprietary devices.

Since lifting devices are subject to dynamic loads, ductility of the material is part of the design requirement. Deformed reinforcing bars should not be used since the deformations result in stress concentrations from the shackle pin. Also, reinforcing bars are often hard-grade or re-rolled rail steel with little ductility and low impact strength at cold temperatures. Smooth bars of a known steel grade may be used if adequate embedment or mechanical anchorage is provided. The diameter must be such that localized failure will not occur by bearing on the shackle pin.

Prestressing strand is often used for lifting loops. The variables involved make it almost impossible to calculate a capacity which can be used for all situations. Generally, producers will establish standard criteria for use in handling the standard products manufactured by that plant. Table 5.2.3 is an example which has been used successfully.

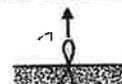
Reduced capacities for shorter embedment lengths may be suitable. In shallow products, providing a 90° bend can reduce the required embedment length significantly. Lightly rusted strand has better bond than bright strand.

The diameter of the bend of the loop should be at least 4 in. For smaller diameters, the loop capacities in Table 5.2.3 should be reduced to:

- 1 in. dia. — 70 %
- 2 in. dia. — 85 %
- 3 in. dia. — 90 %

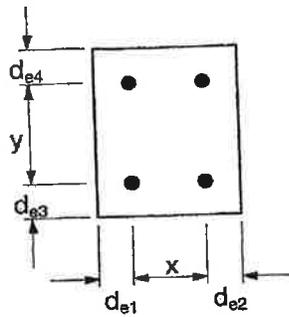
The angle of incline of lifting has little effect on the strand lifting loop capacity if the angle from the horizontal is more than about 20°. Typical handling methods are usually such that this angle is no less than 60°.

Table 5.2.3 Capacity of 1/2 in. diameter, 270 ksi strands used as lifting loops

Lifting angle	Embedment length (in.)	Single loop (kips)	Double loop (kips)	Triple loop (kips)
45 degrees 	16	5	8.5	11.5
	22	8	13	17.5
	28	10	18	23
	34	11	23	29 ✓
Vertical 	16	7.5	12.5	16.5
	22	11.5	19	24.5
	28	15.5	25.5	33
	34	16	32.5	41 ✓

1. These values are limited by slippage rather than strand strength, with a factor of safety of 4. For other strand diameters, multiply table values by 0.75 for 3/8 in. diameter, 0.85 for 7/16 in. diameter, and 1.1 for 0.6 in. diameter.
2. Minimum  $f'_c = 3000$  psi.
3. Multiple strand loops must be fabricated to ensure equal force on each strand.

Figure 6.15.7A (continued) Design tensile strength for  $h \geq h_{min}$ ,  $\phi P_{c1}$ —Case 6



x and y are the overall dimensions (width and length) of the stud group.

Case 6: Free edges on four adjacent sides

$$\phi P_{c1} = \phi 2.67 \lambda \sqrt{f'_c} (x_1)(y_1)$$

$$\phi = 0.85$$

where:  $x_1$  and  $y_1$  are the dimensions of the flat bottom of the part of the truncated pyramid.

$$\text{For Case 6: } x_1 = x + d_{e1} + d_{e2} \quad y_1 = y + d_{e3} + d_{e4}$$

Note: Table values are based on  $\lambda = 1.0$  and  $f'_c = 5000$  psi;

for different material properties, multiply table values by  $\lambda \sqrt{f'_c / 5000}$

$l_e$ , in.	$x_1$ , in. $y_1$ , in.	Design tensile strength, $\phi P_{c1}$ (kips)														
		2	4	6	8	10	12	14	16	18	20	22	24	26	28	
3	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
	2	1	1	2	3	3	4	5	5	6	7	7	8	9	9	
	4	1	3	4	5	7	8	9	10	11	13	14	15	17	18	
	6	2	4	6	8	9	11	13	15	17	19	21	23	25	27	
	8	3	5	8	10	13	15	18	21	23	25	29	31	33	36	
	10	3	7	9	13	16	19	23	25	29	32	35	39	42	45	
	12	4	8	11	15	19	23	27	31	35	39	42	46	50	54	
	14	5	9	13	18	23	27	31	36	41	45	49	54	59	63	
16	5	10	15	21	25	31	36	41	46	51	57	61	67	72		
4	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
	2	1	1	2	3	3	4	5	6	7	7	8	9	9	9	
	4	1	3	4	5	7	8	9	10	11	13	14	15	17	18	
	6	2	4	6	8	9	11	13	15	17	19	21	23	25	27	
	8	3	5	8	10	13	15	18	21	23	25	28	31	33	36	
	10	3	7	9	13	16	19	23	25	29	32	35	39	42	45	
	12	4	8	11	15	19	23	27	31	35	39	42	46	50	54	
	14	5	9	13	18	23	27	31	36	41	45	49	54	59	63	
16	5	10	15	21	25	31	36	41	46	51	57	61	67	72		
6	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
	2	1	1	2	3	3	4	5	6	7	7	8	9	9	9	
	4	1	3	4	5	7	8	9	10	11	13	14	15	17	18	
	6	2	4	6	8	9	11	13	15	17	19	21	23	25	27	
	8	3	5	8	10	13	15	18	21	23	25	28	31	33	36	
	10	3	7	9	13	16	19	23	25	29	32	35	39	42	45	
	12	4	8	11	15	19	23	27	31	35	39	42	46	50	54	
	14	5	9	13	18	23	27	31	36	41	45	49	54	59	63	
16	5	10	15	21	25	31	36	41	46	51	57	61	67	72		
8	0	0	0	0	0	0	0	0	0	0	0	0	0	0	0	
	2	1	1	2	3	3	4	5	6	7	7	8	9	9	9	
	4	1	3	4	5	7	8	9	10	11	13	14	15	17	18	
	6	2	4	6	8	9	11	13	15	17	19	21	23	25	27	
	8	3	5	8	10	13	15	18	21	23	25	28	31	33	36	
	10	3	7	9	13	16	19	23	25	29	32	35	39	42	45	
	12	4	8	11	15	19	23	27	31	35	39	42	46	50	54	
	14	5	9	13	18	23	27	31	36	41	45	49	54	59	63	
16	5	10	15	21	25	31	36	41	46	51	57	61	67	72		